

Warm Up -
 Get out your WB pg. 77 and a calculator.

$f(x) = 2x + 5$
 $f^{-1}(f^{-1}(-1))$
 $(f^{-1} \circ f^{-1})(-1)$

$y = \sqrt[3]{x+1} - 2$ (0,0) (1,1) (-1,-1)
 $-\sqrt[3]{x} - 2$

~~$x^2 - 2x + 1$~~
 $3x^2 - 10x - 8 \neq 0$

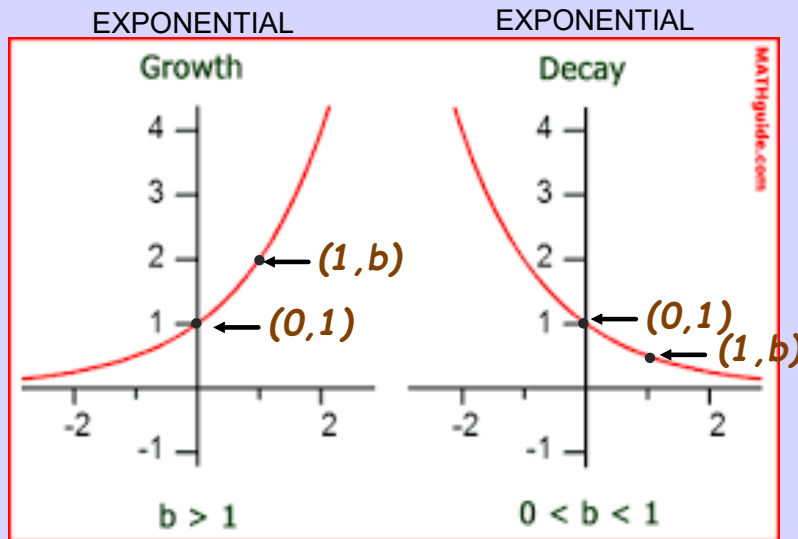
$3x^2 + 2x - 12x - 8$
 $x(3x+2) - 4(3x+2)$
 $(x-4)(3x+2) \neq 0$
 $x+4 \mid x+\frac{2}{3}$
 $(-\infty, -\frac{2}{3}) \cup (\frac{2}{3}, 4) \cup (4, \infty)$

$18x^2 - 2 \neq 0$
 $2(9x^2 - 1) \neq 0$
 $2(3x-1)(3x+1) \neq 0$
 $3x-1 \neq 0 \implies x \neq \frac{1}{3}$
 $3x+1 \neq 0 \implies x \neq -\frac{1}{3}$
 $(-\infty, -\frac{1}{3}) \cup (-\frac{1}{3}, \frac{1}{3}) \cup (\frac{1}{3}, \infty)$

$18x^2 - 6x + 6x - 2$
 $6x(3x-1) + 2(3x-1)$
 $(6x+2)(3x-1)$
 $6x+2 \neq 0 \implies x \neq -\frac{1}{3}$
 $3x-1 \neq 0 \implies x \neq \frac{1}{3}$

Feb 4-11:12 AM

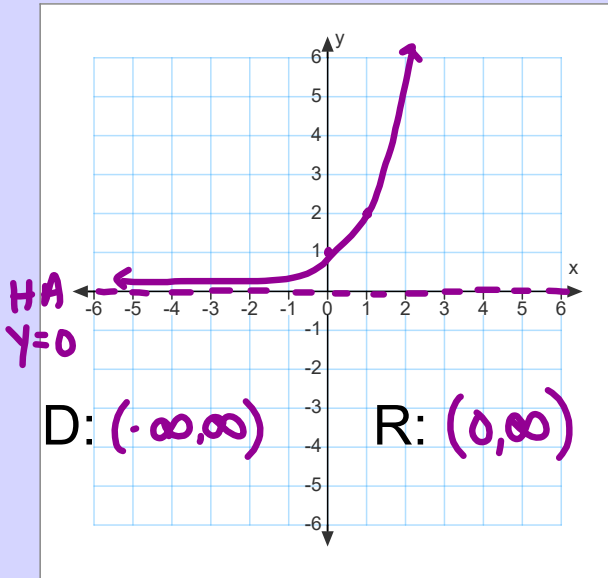
NEW PARENT FUNCTION: $y = ab^x$



Aug 14-8:25 AM

$y = ab^x$

where x is a real number, $a \neq 0$, $b > 1$, $b \neq 0$.



Pull

Let's graph $y = 2^x$

$a = 1$
 $b = 2$

Pull

The graph will never hit the x -axis ($y = 0$). This is called the horizontal **asymptote**.

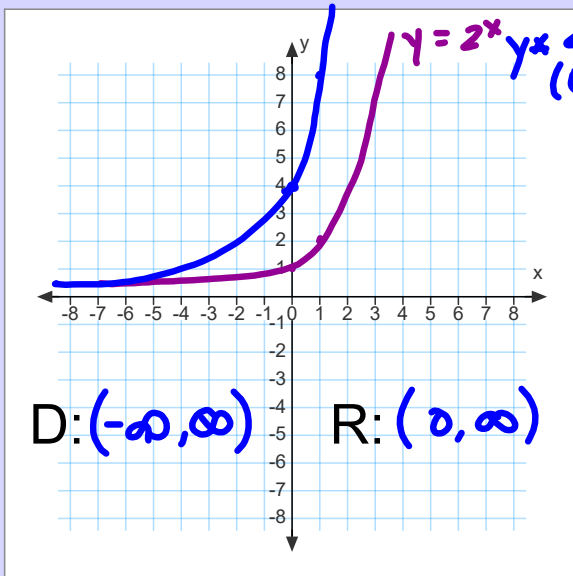
Pull

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Now let's graph $y = 4(2)^x$ vertical stretch

$a = 4$ $b = 2$

$(0, 1)$ $(1, 2)$



Pull

Notice the y -intercept is now $(0, 4)$.

The graph will never hit the x -axis ($y = 0$).

This is called the horizontal **asymptote**.

Given $y = ab^x$, the y -intercept will always be $(0, a)$

Pull

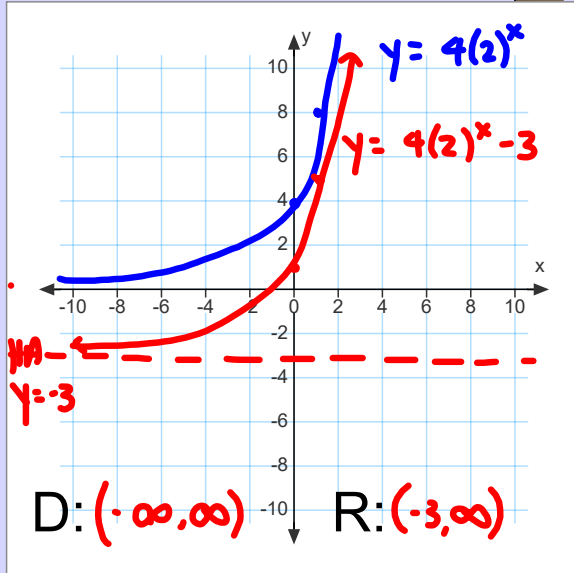
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What will happen to the graph in this case?

$$y = 4(2)^x - 3$$

HA

Notice the y-intercept is WAS (0,4), but is now SHIFTED DOWN 3 more.



The asymptote WAS $y = 0$, but is now SHIFTED DOWN 3 more so it's $y = -3$.

Always plot ~~3~~² points!

$(0,1) (1,6) (-1, \frac{1}{6})$

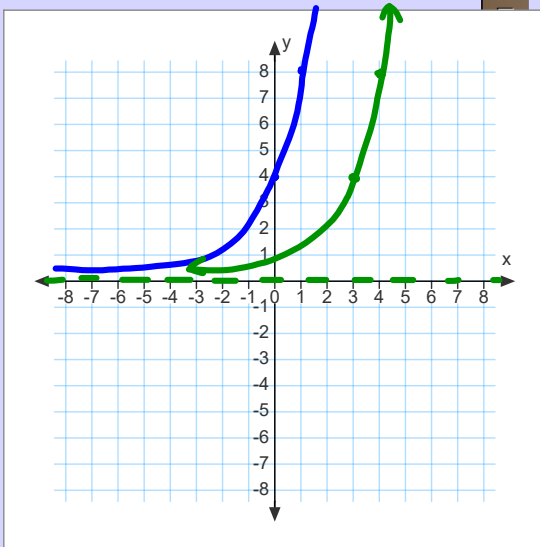
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What will happen to the graph in this case?

$$y = 4(2)^{x-3}$$

right 3!

Notice the y-intercept is WAS (0,4), but is now SHIFTED RIGHT 3 more.



The asymptote WAS $y = 0$, but, will it change in this case?

D: $(-\infty, \infty)$ R: $(0, \infty)$

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Exponential Growth Model

You can use an exponential function to model growth or decay

$$y = ab^x \text{ where } b = 1 \pm r$$

$$y = a(1 \pm r)^x$$

So we will use:

$$y = a(1 \pm r)^x$$

Diagram labels for the equation $y = a(1 \pm r)^x$:

- y : ending amount
- a : initial amount
- r : rate of growth/decay written as decimal
- x : time

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$$y = a(1 \pm r)^x$$

Kirsten invests \$2000 into a CD with a 5% annual interest rate.

↳ .05

a. Write an equation that represents the amount of money in the CD over time.

$$y = 2000(1 + .05)^x$$

$$y = 2000(1.05)^x$$

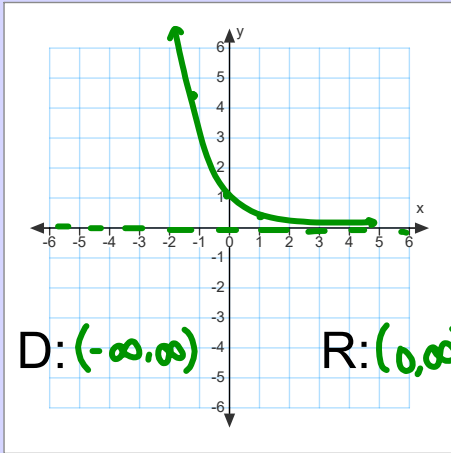
b. How much money will she have after 15 years?

$$y = 2000(1.05)^{15}$$

$$= 4157.86$$

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You can use an exponential function with $0 < b < 1$ to model exponential decay: $y = ab^x$ where $b < 1$



Pull

Let's graph $y = (0.25)^x$

$a = 1$ $b = \frac{1}{4}$

$(0, 1)$ $(1, \frac{1}{4})$ $(-1, 4)$

Pull

The y-intercept is $(0, a)$.

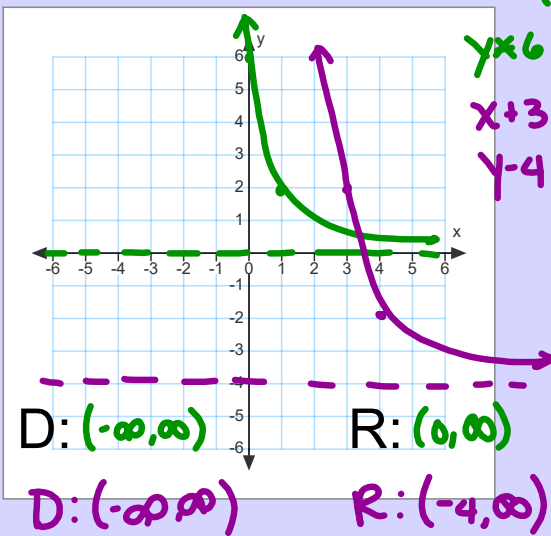
Pull

Notice the **asymptote** is still $y = 0$.

Pull

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FIRST graph: $y = 6\left(\frac{1}{3}\right)^x$ Then graph: $y = 6\left(\frac{1}{3}\right)^{x-3} - 4$



Pull

$(0, 1)$ $(1, \frac{1}{3})$

$y \times 6$ $(0, 6)$ $(1, 2)$

$x + 3$ $(3, 6)$ $(4, 2)$

$y - 4$ $(3, 2)$ $(4, -2)$

Pull

The y-intercept is

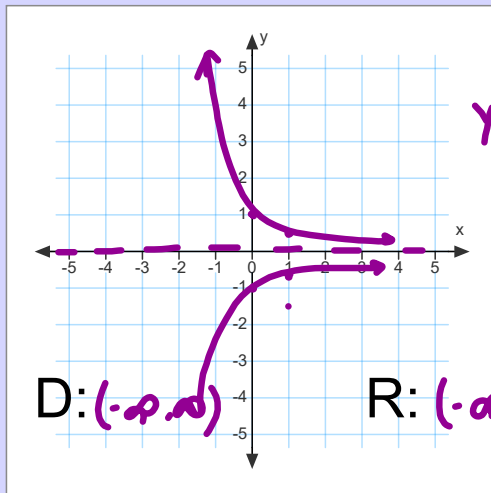
Notice the **asy** is still $y = 0$.

Pull

Pull

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What would this graph look like? Let's plot some points! using reference pts



$$(0, 1) \quad (1, \frac{1}{2})$$

$$y = -1 \quad (0, -1) \quad (1, -\frac{1}{2})$$

$$y = -\left(\frac{1}{2}\right)^x$$

$$D: (-\infty, \infty) \quad R: (-\infty, 0)$$

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So for decay we will use:

$$y = a(1-r)^x$$

Quinn's new motorcycle is valued at \$15,000. With an annual depreciation rate of 25%, find the value of the motorcycle after 5 years?

$$y = 15000(1-.25)^5$$

$$y = 15000(.75)^5$$

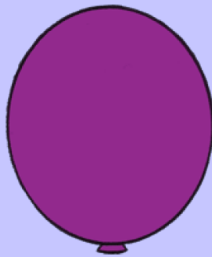
$$y = 3559.57$$

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Without graphing, determine whether each function represents exponential growth or exponential decay.

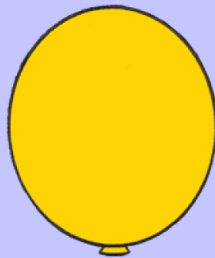
$$y = 125(1.6)^x$$

growth



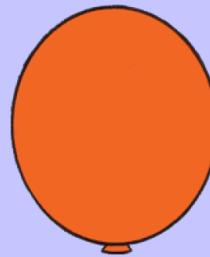
$$y = \frac{1}{4} \left(\frac{1}{2} \right)^x$$

decay



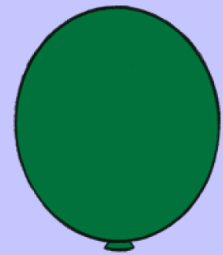
$$y = 2(0.3)^x$$

decay



$$f(x) = \left(\frac{5}{2} \right)^x$$

growth



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For each function, find the percent increase or decrease.

$$y = 125(1.6)^x$$

$1 + .6$
60% increase

$$y = 2(0.3)^x$$

$2(1 - .7)$
70% decrease

Feb 21-6:50 PM

GO COUGARS!



HW 8.1/8.2

p. 434 # 5, 7, 5b, 13-16 all, 25-29 odd,
30, 32, 36-38 all, 60-62 all

Feb 21-6:50 PM